Railway

Problem name	Railway
Input file	standard input
Output file	standard output
Time limit	2 seconds
Memory limit	256 megabytes

There is a railway between Zürich and Lugano of length s kilometers. The railway crosses the beautiful Alps, resulting in a spectacular scenery during the ride. Since some passes are too high for the railway, there are t tunnels on the track. The i-th of them starts a_i kilometers from Zürich and ends b_i kilometers from Zürich. (Thus, the length of the i-th tunnel is $b_i - a_i$.)

You have a timetable of the rail service between the two cities. There are m services from Zürich to Lugano, the j-th of which departs at c_j minutes, and n services from Lugano to Zürich, the k-th of which departs at d_k minutes. All trains operating on the track have a constant speed of 1 kilometer per minute, regardless of their direction and whether they are in a tunnel or not. There are no stations on the route, and the trains never stop at semaphores. Hence, each service arrives to its destination in exactly s minutes.

The length of a train is negligible in comparison to the length of the railway, so in this problem **please assume that each train is a point** that moves along the railway.

Usually, the railway has two tracks: one in each direction. The only exception are the tunnels. Each tunnel has just a single track that can be used in either direction.

Whenever two trains going in the opposite directions meet outside a tunnel, they can pass each other safely. This includes trains meeting exactly at either end of a tunnel. On the other hand, if a pair of trains meets strictly inside a tunnel, there is a collision.

Given the description of the tunnels and the train services, determine whether there will be any collision.

Input

The first line contains four space-separated integers s, t, m, n ($1 \leq s \leq 1\,000\,000\,000$,

$0 \le t \le 100\,000$, $0 \le m, n \le 2\,000$) — the length of the track, the number of tunnels, the number of services from Zürich and the number of services from Lugano, respectively.

The second line contains t space-separated integers a_i ($0 \le a_i < s$) — the starting positions of the tunnels.

The third line contains t space-separated integers b_i ($0 < b_i \le s$) — the ending positions of the tunnels.

For each i between 1 and t, $a_i < b_i$ holds. Additionally, for each i between 1 and $t - 1$, $b_i < a_{i+1}$. (In other words, each tunnel has a positive length, the tunnels are pairwise disjoint, and they are given in increasing order of distance from Zürich.)

The fourth line contains m space-separated integers c_j ($0 \le c_j \le 1\,000\,000\,000$) — the starting times (in minutes) of the services starting in Zürich. The times are given in increasing order, that is, $c_j < c_{j+1}$ for all valid j.

The fifth line contains n space-separated integers d_k ($0 \le d_k \le 1\,000\,000\,000$) — the starting times (in minutes) of the services starting in Lugano. The times are given in increasing order, that is, $d_k < d_{k+1}$ for all valid k.

Output

Output a single line, containing "YES" (quotes for clarity) if at least one crash occurs, or "NO" if all trains reach their destination safely.

Scoring

In all subtasks except the last one, the value of s and all c_j and d_k are **even**.

Subtask 1 (14 points): $t, m, n \le 100$ and $s \le 5\,000$.

Subtask 2 (16 points): $t \le 5\,000$ and $s \le 1\,000\,000$.

Subtask 3 (41 points): there are no further restrictions.

Subtask 4 (29 points): there are no further restrictions. Additionally, s, c_j and d_k are not necessarily even.

Examples

standard input	standard output
100 2 1 4 20 50 30 60 120 30 100 200 250	NO
1000 1 1 1 600 700 100 400	YES
1000 1 1 1 600 700 100 300	NO
1000 1 1 1 600 700 100 500	NO

Note

In the first example there are two tunnels on a track of length 100 kilometers: one 20 to 30 kilometers from Zürich, the other 50 to 60 kilometers from Zürich. The only train coming from Zürich manages to avoid all the Lugano services as follows:

- the first is met 5 kilometers from Zürich,
- the second is met halfway between the tunnels,
- the third is met 10 kilometers from Lugano,
- the fourth starts long after the Zürich train had arrived at its destination.

In the second example the only two trains meet exactly in the middle of the only tunnel, resulting in a crash.

In the third example the two trains meet exactly at the end of the tunnel that is closer to Zürich. In the fourth example they meet exactly at the other end of the tunnel. Both cases are fine, the trains pass each other and reach their destination safely.